# Encryption and Decryption Technique by Using Decimal Systems 

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#### Abstract

In this paper, we investigate the different types of number systems in cryptography and also studied some numerical example of encryption and decryption by using functions and modular properties.


Keywords: crptography, encryption, decryption.

## 1. Introduction

Cryptography is that the study of data activity and verification. The traditional topic of cryptography is encryption. Encryption scheme is used to keep messages or stored data secret. In this chapter, we introduce three fundamental basic numbers conversion systems namely binary, octa and hexa decimal conversions that we need to describe encryption schemes in different ciphers and their cryptanalysis [1]. This paper will discuss the binary, hexadecimal, and octal number systems in more detail and explain their uses.

## 2. Mathematic Formalism

## A. Different types of number systems

Number systems square measure wont to describe the amount of one thing or represent sure information. Here, we can say that the word "calculator" attains ten letters. Our mathematical notation, the decimal system, uses ten symbols. Therefore, decimal is said to be Base Ten. To investigate the systems with bases, in particular how the system works.

## B. Relation between decimal pattern and binary number

Counting in binary is analogous to investigation in the other mathematical notation. To Begin with a single digit, counting gives through each symbol, by increasing order. Before examining binary investigation, it is useful to briefly discuss the more familiar decimal counting system as a frame of reference. Decimal investigation uses the 10 symbols 0 through 9 . Counting begins with the progressive substitution of the smallest amount significant figure (rightmost digit) that is usually known as the primary digit. When the offered symbols for this position square measures are exhausted, the minimum digit is reset to 0 , then the next digit of maximum (one position to the left) is incremented (overflow).

| Decimal <br> pattern | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Binary <br> Number | 0 | 1 | 10 | 11 | 100 | 101 | 110 | 111 | 1000 |

## C. Relation between octal to decimal

Octal is another mathematical notation with less symbols to use than our typical mathematical notation. Octal is fancy for Base Eight that means eight symbols square measure wont to represent all the quantities. The digits are $0,1,2,3,4,5,6$, and 7. Suppose we taken from the 7 , we have a new placement to represent what we use 8 since an 8 doesn't exist in Octal. So, after 7 is 10 .

| Octal | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 10 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Decimal | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 |

D. Some numerical example of encryption and decryption by using functions and modular properties

Suppose Subash wants to encrypt the plain text message "CRYPT ANALYSIS" using one-time pad. He first converts the letters into Binary bit string.

| C | R | Y | P | T |
| :---: | :---: | :---: | :---: | :---: |
| 00010 | 10001 | 11000 | 01111 | 10011 |
| A | N | A | L | Y |
| 00000 | 01101 | 00000 | 01011 | 11000 |
| S | I | S |  |  |
| 10010 | 01000 | 10100 |  |  |

The one - time pad requires a Key Consisting of a Randomly selected string of Bits that is the same length as the message suppose we use key

| 11000 | 10100 | 11001 | 01100 | 11001 | 00001 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 00011 | 00001 | 10100 | 00111 | 01101 | 01101 |

The encryption function $E_{f}$ is $E_{f}: \Sigma \rightarrow \Sigma$ defined by

$$
\Psi \mathrm{i} \rightarrow\left(\Psi_{\mathrm{i}}+\mathrm{e}_{\mathrm{i}}\right)
$$

| Plain Text | Key | Cipher Text |
| :---: | :---: | :---: |
| $\mathrm{C}=00010$ | 11000 | $00001=\mathrm{B}$ |
| $\mathrm{R}=10001$ | 10100 | $01011=\mathrm{L}$ |
| $\mathrm{Y}=11000$ | 11001 | $10111=\mathrm{X}$ |
| $\mathrm{P}=0111$ | 01100 | $00001=\mathrm{B}$ |
| $\mathrm{T}=10011$ | 11001 | $10010=\mathrm{S}$ |
| $\mathrm{A}=00000$ | 00001 | $00001=\mathrm{B}$ |
| $\mathrm{N}=01101$ | 00011 | $10000=\mathrm{Q}$ |
| $\mathrm{A}=00000$ | 00001 | $00001=\mathrm{B}$ |
| $\mathrm{L}=01011$ | 10100 | $00101=\mathrm{F}$ |
| $\mathrm{Y}=11000$ | 00111 | $00101=\mathrm{F}$ |
| $\mathrm{S}=10010$ | 01101 | $00101=\mathrm{F}$ |
| $\mathrm{I}=01000$ | 10111 | $00101=\mathrm{F}$ |
| $\mathrm{S}=10010$ | 01101 | $00101=\mathrm{F}$ |

## E. Problem

Suppose a person wants the plain text message" PROBABILITY" to encrypt using one-time pad. He first consults OCTA DECIMAL SYSTEM table to convert the letters to the octa system.

| P | R | O | B | A | B | I | L | I | T | Y |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 17 | 27 | 16 | 1 | 0 | 1 | 11 | 13 | 10 | 23 | 31 |

The encryption function E is $\mathrm{E}: f \rightarrow f$ by $\Psi \mathrm{i} \rightarrow\left(\Psi_{\mathrm{i}}+\mathrm{e}_{\mathrm{i}}\right)$

| Plain Text | Key | Cipher Text |
| :---: | :---: | :---: |
| $17=\mathrm{P}$ | 011 | $20=\mathrm{Q}$ |
| $27=\mathrm{R}$ | 010 | $3=\mathrm{D}$ |
| $16=\mathrm{O}$ | 000 | $16=\mathrm{O}$ |
| $1=\mathrm{B}$ | 011 | $4=\mathrm{E}$ |
| $0=\mathrm{A}$ | 101 | $4=\mathrm{E}$ |
| $1=\mathrm{B}$ | 110 | $7=\mathrm{H}$ |
| $11=\mathrm{I}$ | 100 | $12=\mathrm{K}$ |
| $13=\mathrm{L}$ | 011 | $16=\mathrm{O}$ |
| $10=\mathrm{I}$ | 11 | $17=\mathrm{P}$ |
| $23=\mathrm{T}$ | 111 | $4=\mathrm{E}$ |
| $31=\mathrm{Y}$ | 001 | $6=\mathrm{G}$ |

## 3. Conclusion

The Applications of different types of Number Systems in Cryptography, we studied Correspondence between letters and different number systems and we studied some numerical example of encryption and decryption by using functions and modular properties.

## References

[1] D. R. Stinson, "Cryptography. Theory and Practice," Chapman \& Hall / CRC, 2006.

